









## Privacy Act of 1974 Applies to federal agencies • "No agency shall disclose any record ... to any person, or to another agency, except ... with the prior written consent of, the individual to whom the record pertains, unless disclosure of the record would be --- ... used solely as a statistical research or reporting record, and the record is to be transferred in a form that is not individually identifiable" (not a defined term) Restriction on "matching programs" - any computerized comparison of -- (i) two or more automated systems of records ... [certain exceptions] 5 USC §552(b) ALADDIN: PRIVACY AND DATA MARCH 2003 COPYRIGHT © 2003 MICHAEL L SHAMOS















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## Mathematics of De-Identification

- A function *f* is *k*-private iff no finite set of argument-value pairs {(*x*<sub>1</sub>,*f*(*x*<sub>1</sub>)), ..., (*x*<sub>n</sub>,*f*(*x*<sub>n</sub>))} suffices to compute *f* at any other point x ∉ {*x*<sub>1</sub>, ..., *x*<sub>n</sub>}.
- Example: a polynomial of degree exactly *k* is *k*-private but not (*k*+1)-private
- Wait. This depends on <u>knowing</u> that *f* is a polynomial of degree *k*. That is <u>metadata</u> about *f* (semantics).
- What kinds of metadata can we have about functions and what can be inferred from metadata?
- A function f is totally private iff it is k-private for all k>0
- Example: a general power series  $p(x) = \sum_{i=0}^{\infty} a_i x^i$  is totally private (without other metadata about p(x))

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• In general, k-privacy and total privacy are undecidable

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## Which Function Properties Are Decidable?

- Suppose *f*(*x*) is finitely presented. Which of its properties are decidable?
- Example, let *f*(*x*) be a polynomial
- Is it decidable whether  $\sum_{k=1}^{\infty} \frac{1}{f(k)}$  is rational?

• Examples: 
$$\sum_{k=1}^{\infty} \frac{1}{k^2} = \frac{\pi^2}{6}$$
  $\sum_{k=1}^{\infty} \frac{1}{k^2 + 2k} = \frac{3}{4}$   $\sum_{k=1}^{\infty} \frac{1}{k^2 + 1} = \frac{\pi \coth \pi - 1}{2}$ 

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$$\sum_{k=1}^{\infty} \frac{1}{k^3} = \zeta(3) = irrational \qquad \sum_{k=1}^{\infty} \frac{1}{k^5} = \zeta(5) = rationality unknown$$

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